

#### Selective Attention Test

from Simons & Chabris (1999)

# Overview – Systems & Segmentation

- Recap and outlook
- Computer and Segmentation. Does segmentation matter?
- System
  - Build
  - Test
- Segmentation principles
- Segmentation using tools from lectures 1-7
- Mathematical Morphology

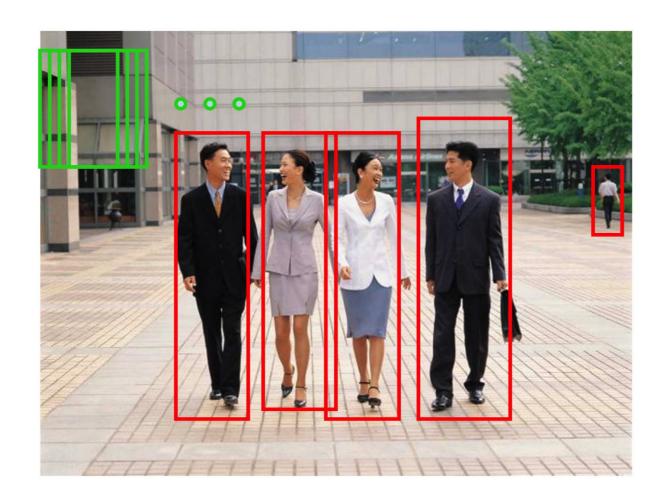
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#### **Computer Vision Tasks**

- Classifying images
- Estimating the spatial layout of structurally distinct scene elements
  - Segmentation
- Identifying geometric structure
  - 3d surface or volume of objects
  - Pose of people or other biological forms
- Recognizing objects and actions

#### Recognition by Detection



Search at multiple locations, scales and for all object categories of interest

#### Recognizing objects, poses, actions



#### Dynamic Scenes, 3D Reasoning

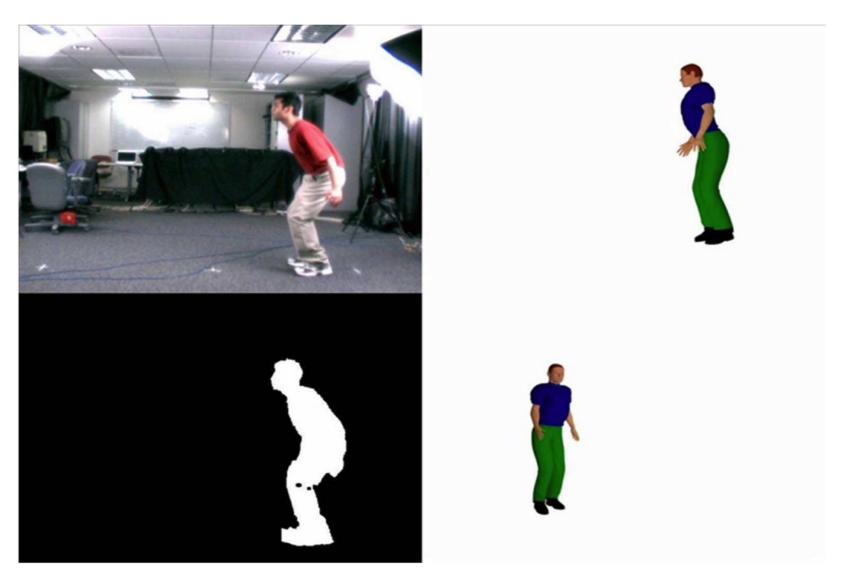
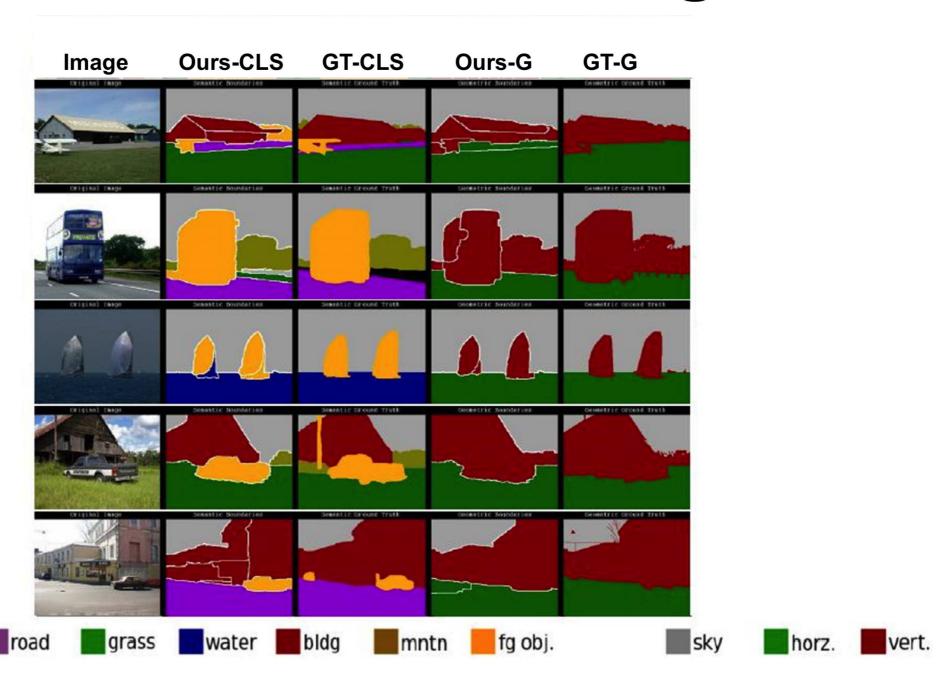


Figure-ground segmentation essential

#### Scene Understanding

sky

tree



## Scene Understanding





Ideally, we would want a framework that `uniformly' accommodates color, depth and video analysis

#### **Problems**

#### Region generation

- Systematic, figure-ground hypotheses, combinatorial
- Boundaries from RGB, depth, motion

#### Region selection, hypothesis set compression

- Object-like = Class-independent = Objectness
- Maximum marginal diversification

#### Region description

Second-order methods

#### Complete scene recognition by composition

- Re-combination, re-segmentation of figure-ground
- Sequential vs. simultaneous

#### Segmentation

 Image segmentation: breaking the pixels or tokens of an image into regions (groups) that share some property

 Semantic segmentation: attach category labels to groups

#### Mid-level Image Segmentation

- Google Scholar returns over 1.000.000 hits for search terms "Image segmentation".
- 50 years after the first segmentation algorithm.
  - "Experimental evaluation of techniques for automatic segmentation of objects in a complex scene", J. Muerle and D. Allen, 1968.
- Modern well know techniques still aim to segment homogeneous regions, not objects:
  - Normalized Cuts
  - Mean Shift
  - Hierarchical clustering

## Mid-level Image Segmentation

Philosophy: split the image into homogeneous regions

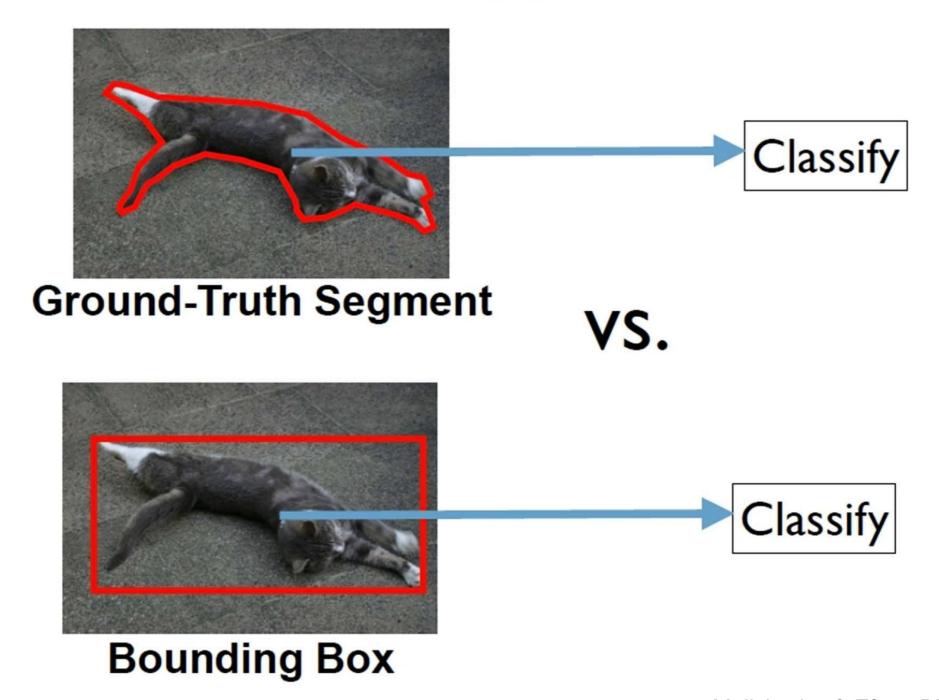




## Problems with the multi-scale window recognition-by-detection approach

- Computational overhead
  - 10<sup>4</sup> categories x 10<sup>6</sup> windows x 10 scales
- Segmentation not considered
  - Improper handling of irregular shapes
  - Window descriptor dominated by background
- Context not considered
  - No criterion for global consistency

#### Does spatial support matter?



#### MSRC segmentation dataset

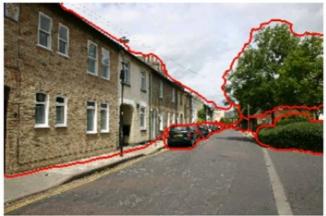
MSRC data-set: 591 images of 23 object classes + pixel-wise segmentation masks

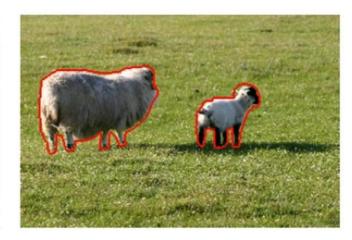




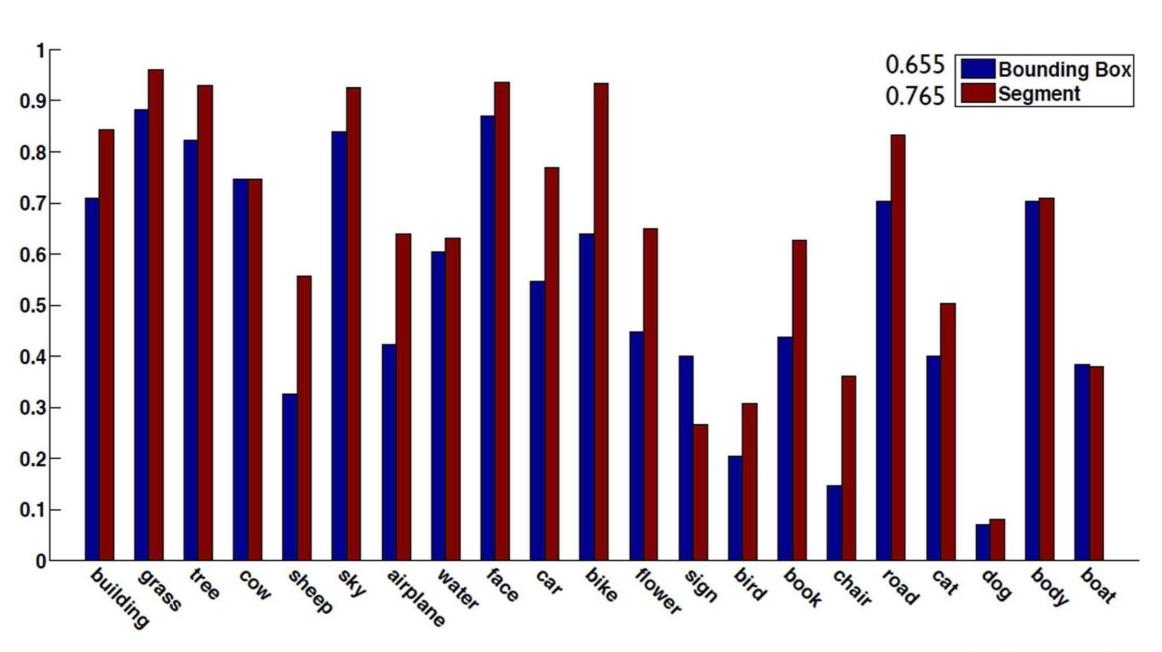








#### Spatial support matters!



## Segmentation

- Important
- Many methods
- Many systems are built along the lines
- Image -> Segments -> Features -> Result
- In this lecture:
  - Discussion on system building and testing
  - More on a few segmentation methods





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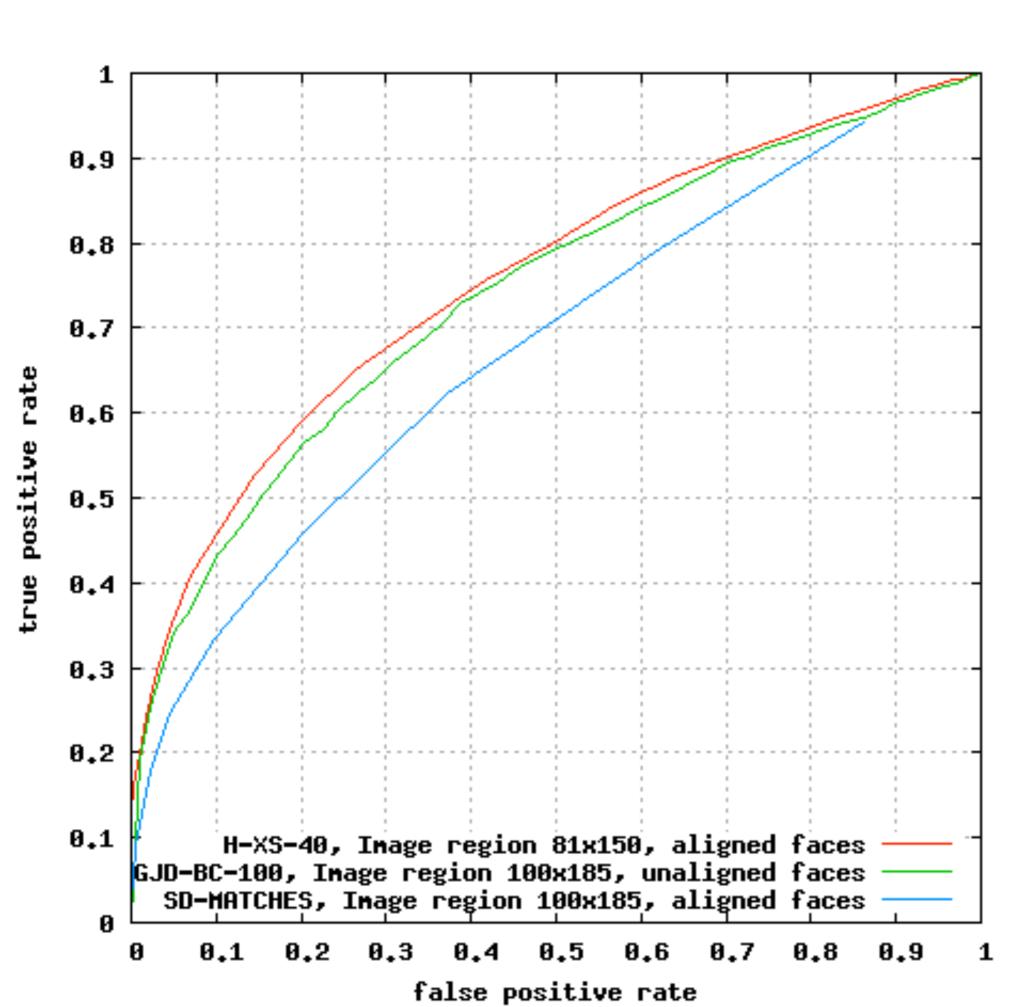
## Testing your system

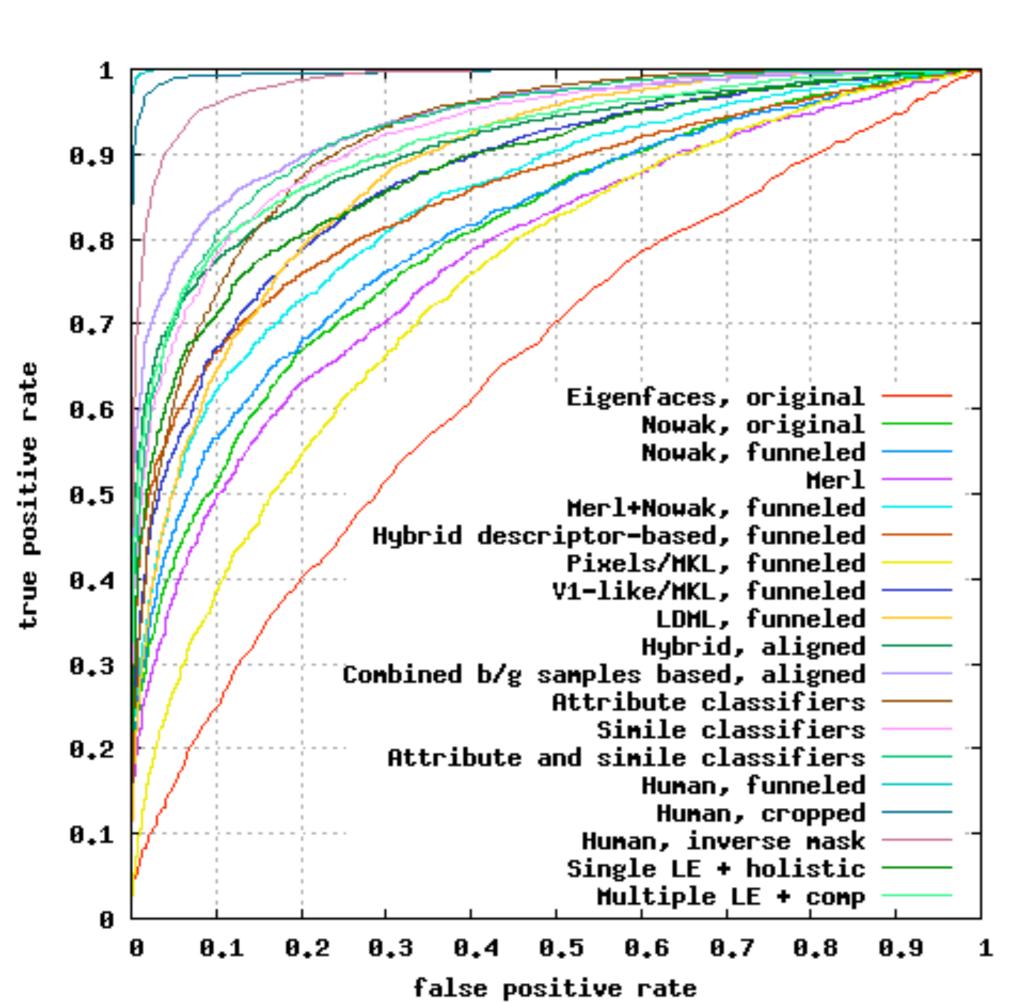
- Image analysis systems
  - Often complex and varying data
  - Often a system of systems
- Important to test your system
- Questions
  - Obtain data
  - Obtain 'ground truth' ('Gold Standard')
  - Construct benchmark scripts
  - · Visualize the results
- Adress these questions early in a project

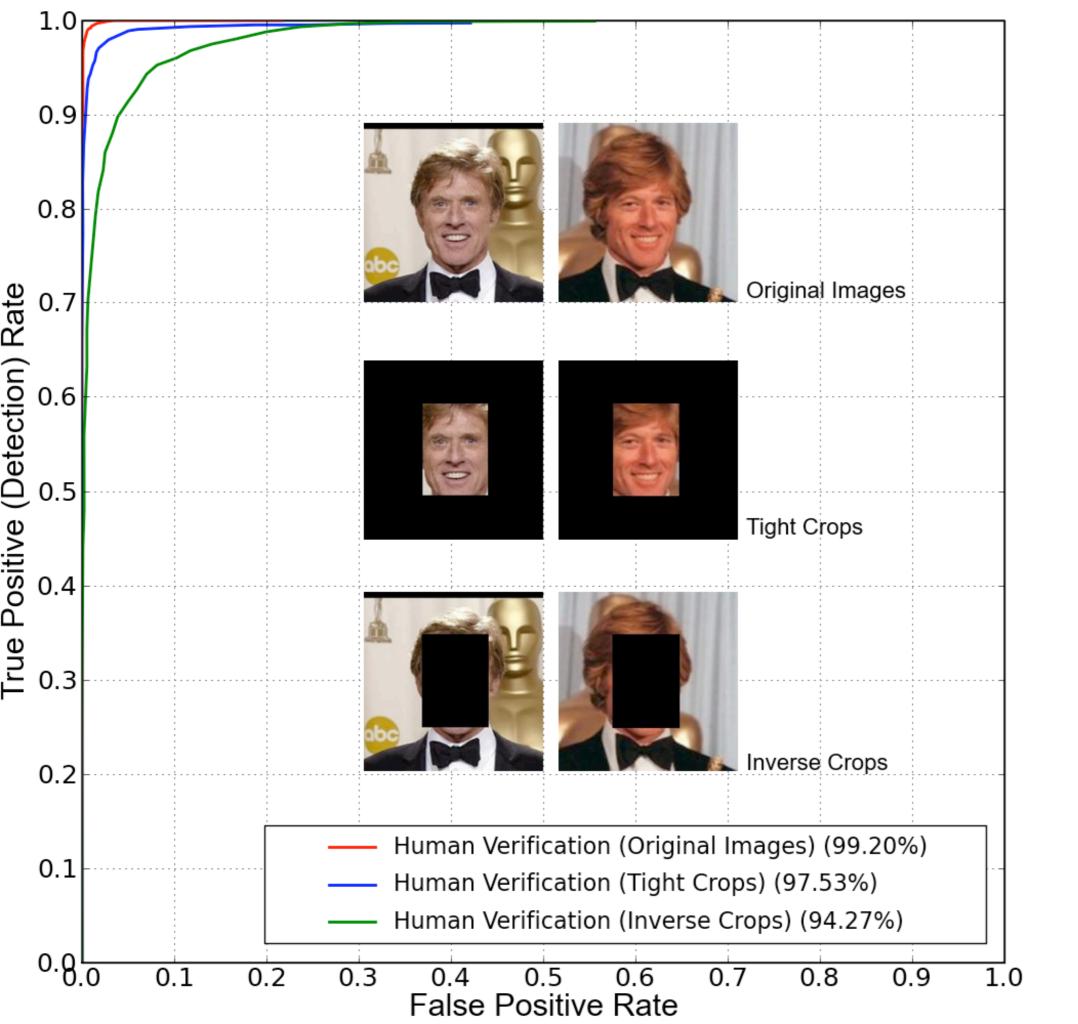
## Testing your system, Example 1 Labelled Faces in the wild

- Collection of images from the web
- Face detection
- Pairs of matching faces
- Pairs of non-matching faces









## Evaluating segmentation

- The Jaccard score
- A pixels of system segmentation
- B pixels of ground truth segmentation

$$J = \frac{|A \cap B|}{|A \cup B|}$$

Phoning

Playing Instrument

Reading

Riding Bike

Riding Horse

















Running

Taking Photo

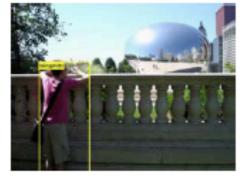
Using Computer

Walking



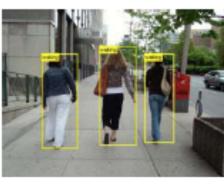














#### True Positives - Cat





UVA\_DETMONKEY









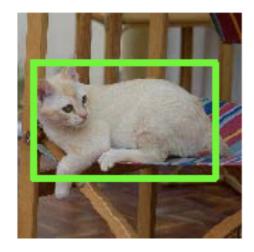








MITUCLA\_HIERARCHY











#### False Positives - Cat

#### UVA\_DETMONKEY





















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#### **Example Annotations**

lmage

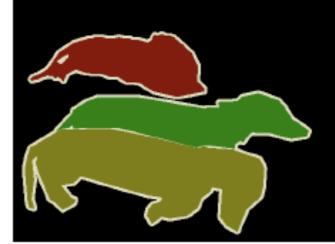


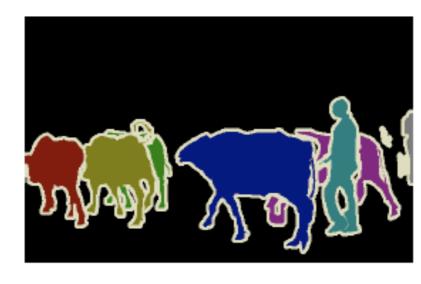




Object segmentation

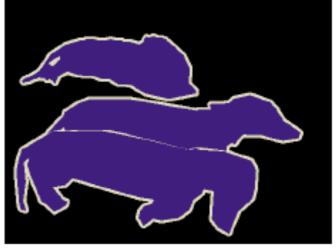






#### Class segmentation







## **Example Segmentations**

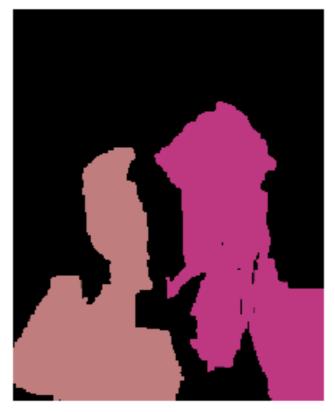




Ground truth



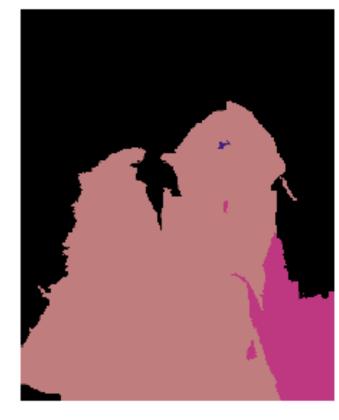
BONN\_FGT\_SEGM



BERKELEY\_POSELETS\_ALIGN\_PB

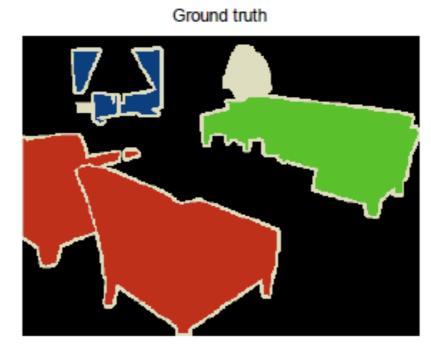


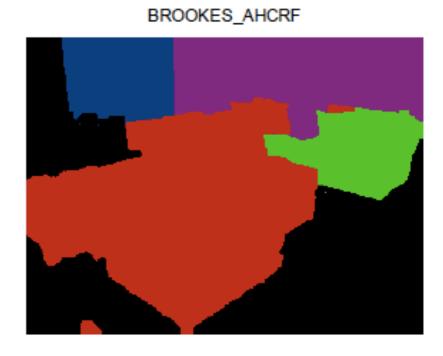
CVC\_HARMONY\_DET



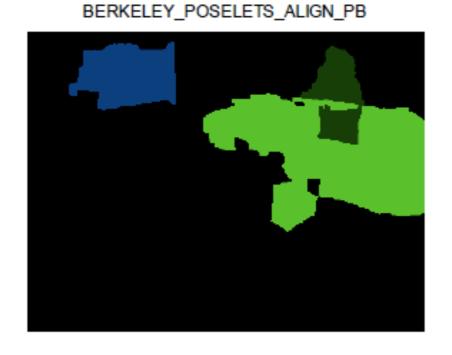
## **Example Segmentations**

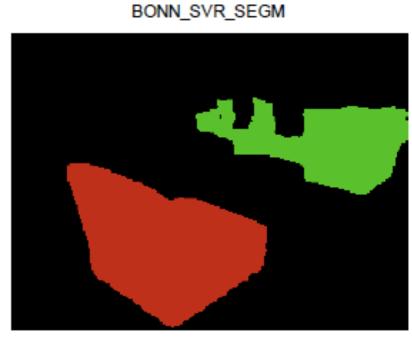
Image





UOCTTI\_LSVM\_MDPM





## Accuracy by Class/Method

#### Trained on VOC2010 data

	[mean]	back ground		bicycle	bird	boat	bottle	bus	car	cat	chair		dining table	dog	horse	motor bike	person	potted plant	sheep	sofa	train	tv/ monitor
BONN_FGT_SEGM	36.5	82.5	54.6	22.5	25.1	27.6	40.0	60.2	48.3	39.4	7.3	30.8	21.3	25.3	34.9	54.1	36.6	22.5	45	17.6	33.5	37.0
BONN_SVR_SEGM	39.7	84.2	52.5	27.4	32.3	34.5	47.4	60.6	54.8	42.6	9.0	32.9	25.2	27.1	32.4	47.1	38.3	36.8	50.3	21.9	35.2	40.9
BROOKES_AHCRF	30.3	70.1	31.0	18.8	19.5	23.9	31.3	53.5	45.3	24.4	8.2	31.0	16.4	15.8	27.3	48.1	31.1	31.0	27.5	19.8	34.8	26.4
CVC_HARMONY	35.4	80.8	56.7	20.6	31.0	33.9	20.8	57.6	51.4	35.8	7.1	28.1	22.6	24.3	29.3	49.4	37.8	23.3	37.6	18.1	45.6	30.7
CVC_HARMONY_DET	40.1	81.1	58.3	23.1	39.0	37.8	36.4	63.2	62.4	31.9	9.1	36.8	24.6	29.4	37.5	60.6	44.9	30.1	36.8	19.4	44.1	35.9
STANFORD_REGLABEL	29.1	0.08	38.8	21.5	13.6	9.2	31.1	51.8	44.4	25.7	6.7	26.0	12.5	12.8	31.0	41.9	44.4	5.7	37.5	10.0	33.2	32.3
UC3M_GENDISC	27.8	73.4	45.9	12.3	14.5	22.3	9.3	46.8	38.3	41.7	0.0	35.9	20.7	34.1	34.8	33.5	24.6	4.7	25.6	13.0	26.8	26.1
UOCTTI_LSVM_MDPM	31.8	80.0	36.7	23.9	20.9	18.8	41.0	62.7	49.0	21.5	8.3	21.1	7.0	16.4	28.2	42.5	40.5	19.6	33.6	13.3	34.1	48.5

#### Trained on external data

		back	aero										dining			motor		potted				tv/
	[mean]	ground	plane	bicycle	bird	boat	bottle	bus	car	cat	chair	cow	table	dog	horse	bike	person	plant	sheep	sofa	train	monitor
BERKELEY_POSELETS	34.7	82.0	49.7	23.3	20.6	19.0	47.1	58.1	53.6	32.5	0.0	31.1	0.0	29.5	42.9	41.9	43.8	16.6	39.0	18.4	38.0	41.5

- Best results exceed best detection-based results for all classes
- BERKELEY\_POSELETS method uses additional training annotation for object detection: improves on "horse"

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## Segmentation

Goal: Segment the image into pieces/segments, i.e. regions that belong to the same object or that has the same properties. Can also be seen as a problem of 'grouping' of pieces (pixels, regions) together.

Edges, Ridges, Blobs, Interest Points, Textures - already a step towards segmentation.

More generally - segmentation is about cutting out the interestings regions/parts.

## Segmentation

#### Some typical segmentation problems are:

- Cut an image sequence into shots
- Find manufactured parts in an industrial environment
- Find humans in images and video
- Find houses in satellite images
- Find faces in images

Example: OCR.

Example: Image interpretation

Example: Road user analysis

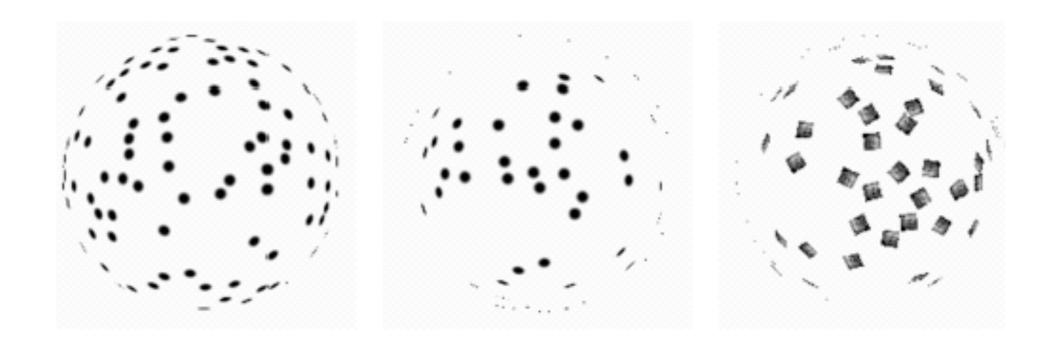
Example: Medical Image Analysis, e.g. Cell analysis

### Segmentation

#### Using clustering:

- Segment images into pieces
- Fit lines to a set of points
- Fit a fundamental matrix to image pairs

In some cases it is easier to view segmentation as the problem of putting pieces together. This is usually called **grouping** (less precise) or **clustering** (which has a precise meaning in the field of pattern recognition).

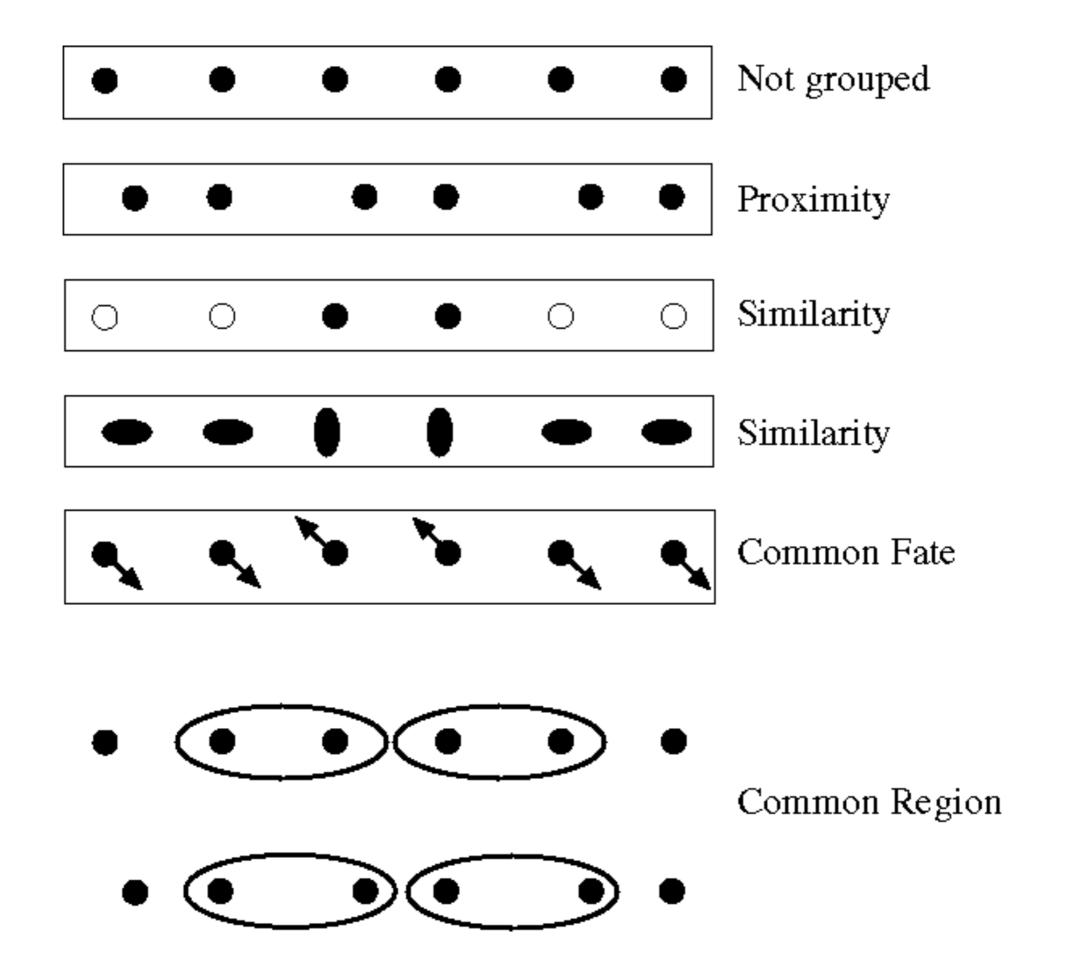


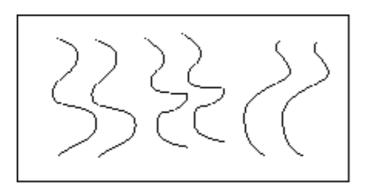
Why do these tokens belong together?

### Gestalt theory

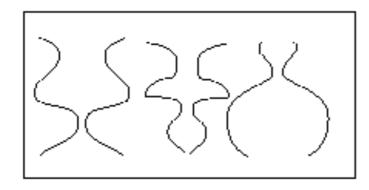
Around 1900 the 'Gestalt' theory was developed by psychologists in Germany, the Berlin school. They developed a descriptive theory of mind and brain. Some principles that they discovered for human grouping of features are:

- Proximity
- Similarity
- Same fate
- Same region
- Closedness
- Symmetry
- Parallelism

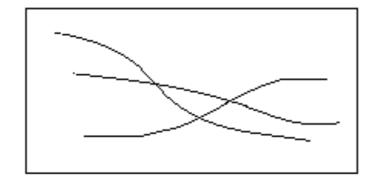




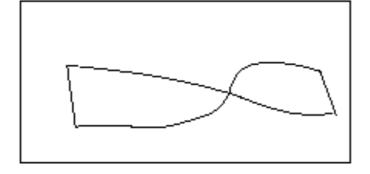
#### Parallelism



Symmetry



Continuity



Closure

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# Segmentation using what we have learnt so far

- Pixelwise classification
- Colour-pixel classification
- Filterbanks and classification
- Deep learning
- Clustering
- Connected Components
- Cleaning up among the segments
  - Classification
  - Morphology

### Pixels, clustering, segmentation

- At each pixel one could define a feature vector
  - Intensity f(i,j)
  - RGB colour channel (r,g,b)
  - Multispectral channel
  - Position (i,j)
  - Response from a filter bank
- Use machine learning to define a mapping from pixel feature vector to segment
- Either supervised (using lots of old examples) ...
- ... unsupervised (k-means, other clustering methods)

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Operations on binary images. Can be regarded as non-linear filtering.

 $A = \{(x, y) \in \mathbb{Z}^2 \mid f(x, y) = 1\}$  is considered as a subset of the image.

#### **Definition**

Let A and  $B \subset \mathbb{Z}^2$ .

The **translation** of *A* with  $x = (x_1, x_2) \in \mathbb{Z}^2$  is defined as

$$(A)_{x} = \{ c | c = a + x, a \in A \}$$
.

The **reflection** of *A* is defined as

$$\hat{A} = \{ c \mid c = -a, a \in A \}$$
.

#### **Definition**

The **complement** of *A* is defined as

$$A^c = \{ c | c \notin A \}$$
.

The **difference** of *A* and *B* is defined as

$$A - B = \{ c | c \in A, c \notin B \} = A \cap B^{c} .$$

Let  $B \subset \mathbb{Z}^2$  denote a **structure element**. (Usually B="a circle" with centre at the origin is chosen.)

#### **Definition**

The **dilatation** of *A* with *B* is defined by

$$A \oplus B = \{ x \mid (\hat{B})_X \cap A \neq \emptyset \}$$
.

This can also be written

$$A \oplus B = \{ x \mid ((\hat{B})_X \cap A) \subseteq A \}$$
.

The dilation of A with B can be seen as extending A with B.

#### **Definition**

The **erosion** of *A* with *B* is defined by

$$A \ominus B = \{ x \mid (\hat{B})_X \subseteq A \}$$
.

The erosion of A with B can be seen as diminishing (eroding) A with B.

#### **Definition**

The **opening** of *A* with *B* is defined by

$$A \circ B = (A \ominus B) \oplus B$$
.

Opening = first erosion, then dilation.

- Gives smoother contours.
- Removes narrow passages.
- Eliminates thin parts.

#### **Definition**

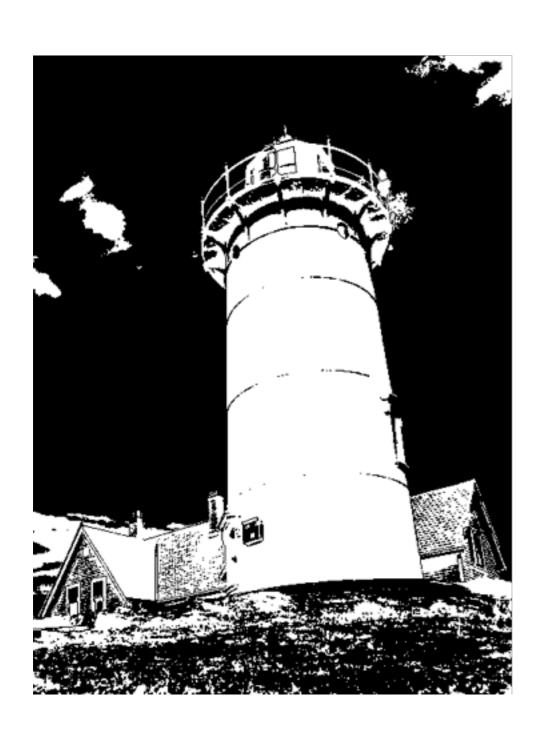
The **Closing** of *A* with *B* is defined by

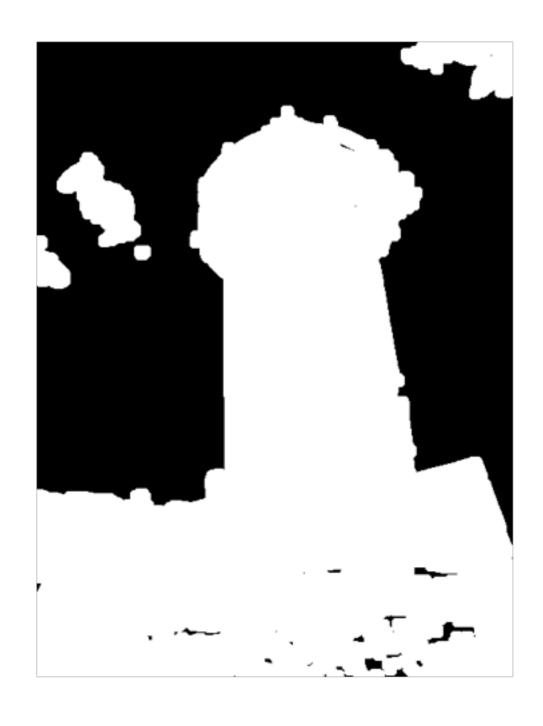
$$A \cdot B = (A \oplus B) \ominus B$$
.

Closing = first dilation, then erosion.

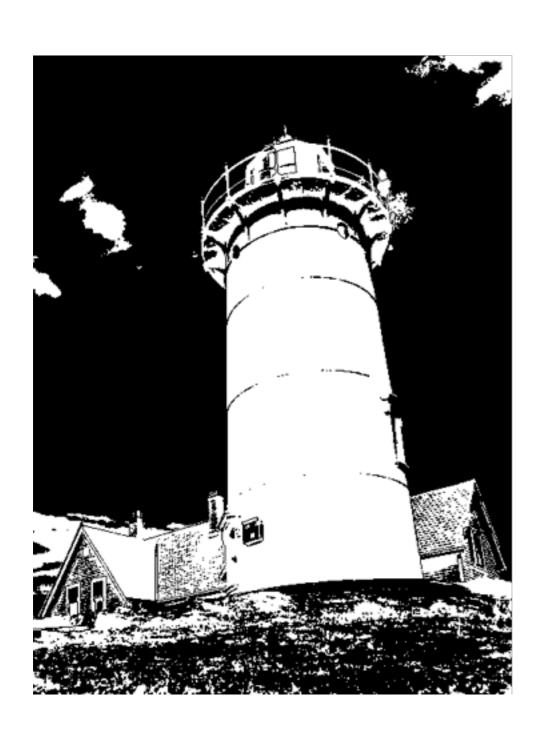
- Gives smoother contours.
- Fills up small parts.
- Fills up holes.

## Image dilation



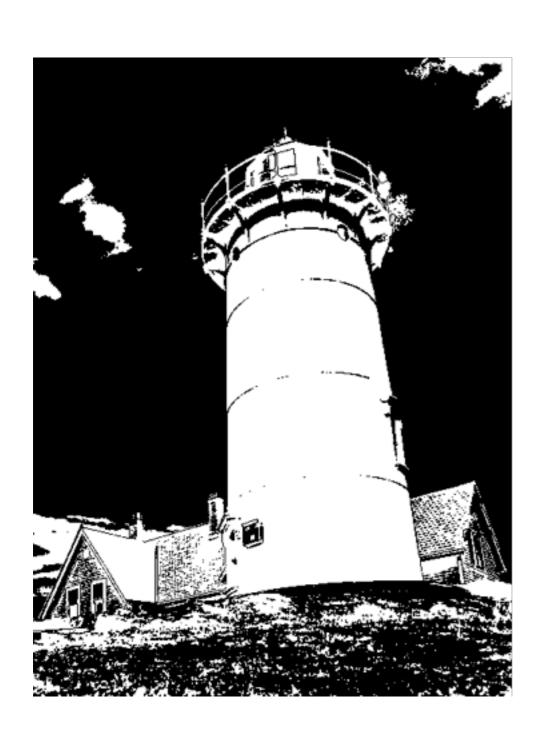


## Image erosion



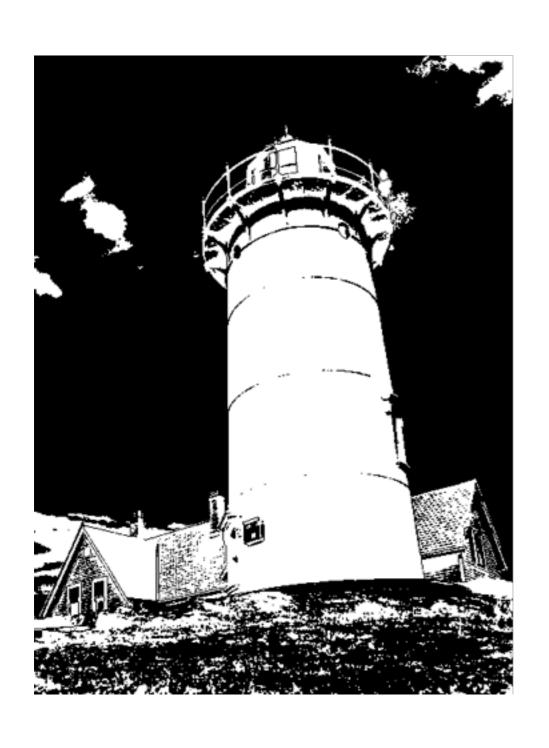


## Image close



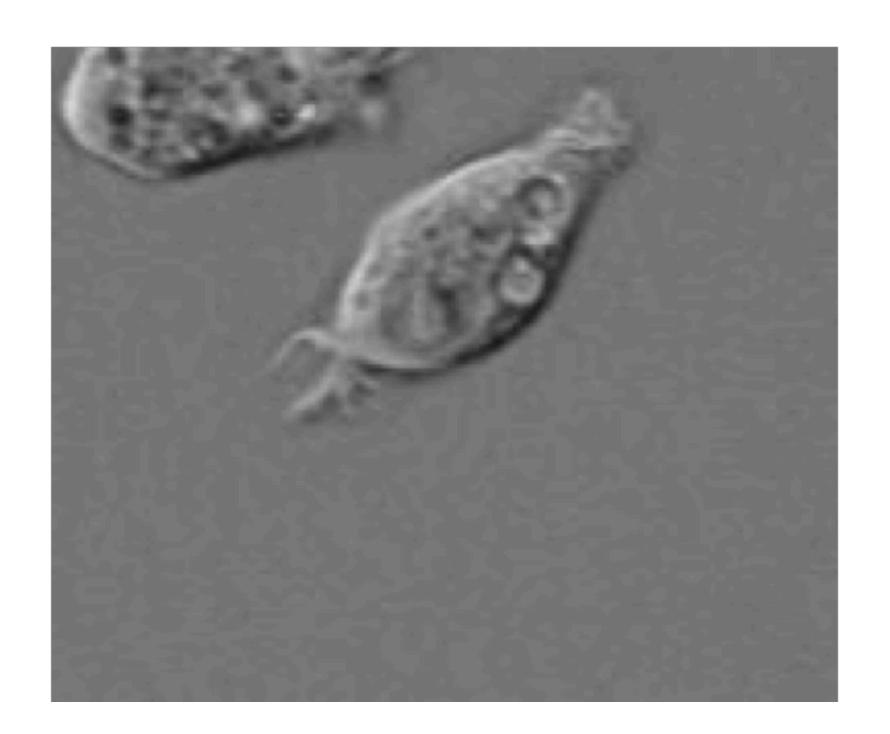


# Image open

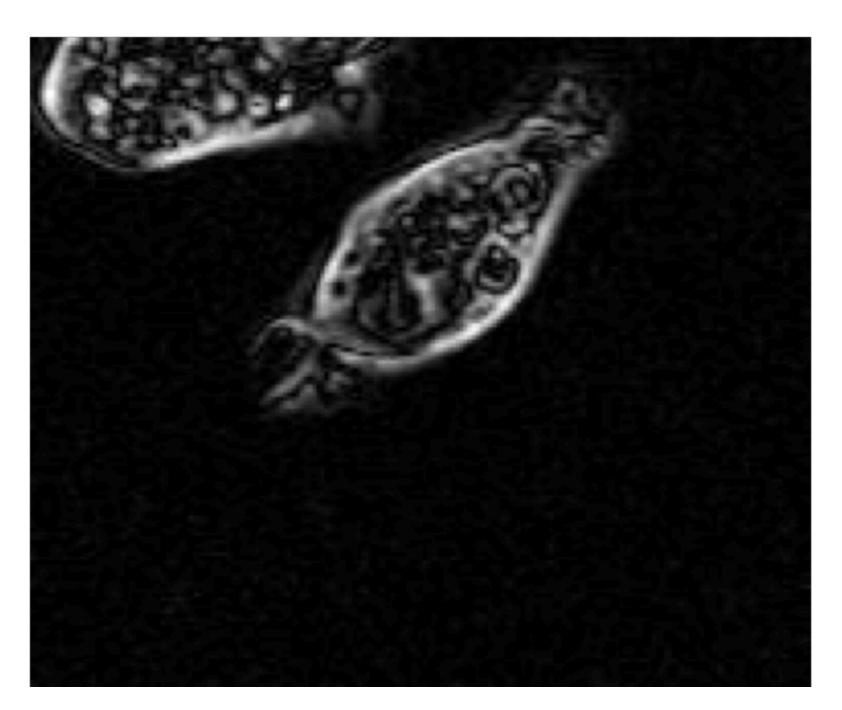




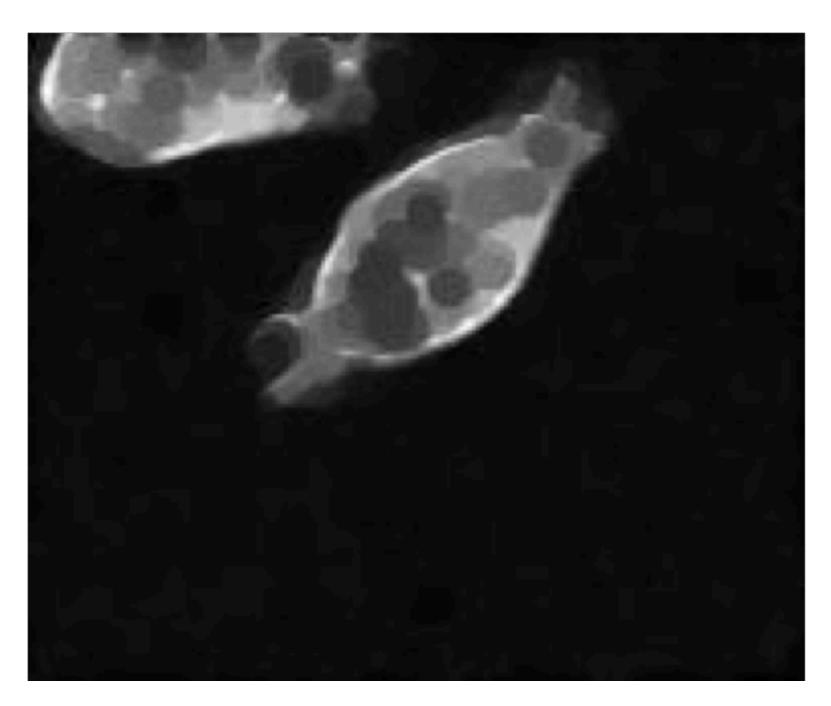
I



$$I_2 = |I - \text{median}(I)|$$



 $I_3 = imopen(I_2)$ 



$$I_4 = I \cdot (I_3 > 0.2)$$



#### **Definition**

Start with a binary image  $A \subset \mathbb{Z}^2$  and a metric d(x, y) that defines the distance between x and y and fulfils

- $ightharpoonup d(x,y) \ge 0$  with equality iff x=y.
- d(x,y) = d(y,x).
- $ightharpoonup d(x,z) \le d(x,y) + d(y,z)$  (the triangle inequality)

Try to for each pixel calculate the shortest distance to A.

Different metrics gives different distances!

- $d^{E}(x, y) = \sqrt{x^2 + y^2}$  (Euclidean metric)
- $d^4(x,y) = |x| + |y| (Manhattan)$
- $b d^{8}(x,y) = \max(|x|,|y|)$  (Chess-board)
- $ightharpoonup d^{oct} = \text{compromise between } d^4 \text{ and } d^8 \quad \text{(Octagonal)}$
- $ightharpoonup d^{ch} = Chamfer 3-4 given by the mask$

The distance transform can be calculated by

- Forward propagation
- Backward propagation

A "mask" is propagated through the image row-wise from the upper left corner to the lower right corner and another "mask" is propagated in the reverse direction. This procedure is repeated until convergence.

The **Skeleton** to a binary image, *A*, is defined by

- For each point, x, in A find the closest boundary point.
- ▶ If there are more than one closest boundary point, then *x* belongs to the skeleton of *A*.

The skeleton is dependent on the chosen metric! Given the skeleton and the actual distance to the boundary for each skeleton point, the binary image A can be recovered.

#### Calculating the skeleton:

- Using a distance map
- Using morphological operations (thinning).

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